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Big Ideas	Details	Unit: Energy, Work & Power	
AP®	Rotational Work		
	<b>Unit:</b> Energy, Work & Power		
	NGSS Standards/MA Curriculum Frameworks (2016):	N/A	
	AP <sup>®</sup> Physics 1 Learning Objectives/Essential Knowled 6.2.A.2, 6.2.A.3	ge (2024): 6.2.A, 6.2.A.1,	
	Mastery Objective(s): (Students will be able to)		
	<ul> <li>Solve problems that involve work on a rotating of</li> </ul>	object.	
	Success Criteria:		
	<ul> <li>Correct equations are chosen for the situation.</li> </ul>		
	Variables are correctly identified and substituted correctly into equations.		
	<ul> <li>Algebra is correct and rounding to appropriate r reasonable.</li> </ul>	number of significant figures is	
	Language Objectives:		
	<ul> <li>Describe how an object can have both rotational</li> </ul>	I and translational work.	
	Tier 2 Vocabulary: work, energy, translational		
	Notes:		
	Just as work is done when a force causes an object to line), work is also done when a torque causes an object	translate (move in a straight ct to rotate.	
	As with other equations for rotational motion, the rotational equation for work looks just like the linear (translational) equation, with each variable from the linea equation replaced by its analogue from the rotational equation.		
	In the equation for work, force is replaced by torque, and (translational) distance is replaced by rotational distance (angle):		
	$W = F_{II} d$	$W = \tau \Delta \theta$	
	translational	rotational	

## **Rotational Work**

Big Ideas

as	Det	tails Unit: Energy, Work & Power		
AP®	Sa	ample Problem		
	Q:	How much work is done on a bolt when it is turned 30° by applying a perpendicular force of 100 N to the end of a 36 cm long wrench?		
	A:	The equation for work is:		
		$W = \tau \Delta \theta$		
		The torque is:		
		$ au=rF_{\perp}$		
		$\tau = (0.36)(100) = 36 \mathrm{N} \cdot \mathrm{m}$		
		The angle, in radians, is:		
		$\theta = 30^{\circ} \times \frac{2\pi \operatorname{rad}}{360^{\circ}} = \frac{\pi}{6} \operatorname{rad}$		
		The work done on the bolt is therefore:		
		$W = \tau \Delta \theta$		
		$W = (36)\left(\frac{\pi}{6}\right)$		
		$W = 6\pi = (6)(3.14) = 18.8 \text{ J} = 18.8 \text{ N} \cdot \text{m}$		
		Note that torque and work are different, unrelated quantities that both happen to use the same unit $(N \cdot m)$ . (We typically use joules for work, but a joulle is eqivalent to a newton-meter.) However, <i>torque and work are not</i> <i>interchangeable</i> ! Notice that 36 N·m of <i>torque</i> produced 18.8 N·m of <i>work</i> because of the angle through which the torque was applied. If the angle had been different, the amount of work would have been different.		
		This is an example of why you cannot rely exclusively on dimensional analysis to set up and solve problems!		